

Finding the next, $10!$, we simply multiply by the prime factorisation of $10 = 2 \cdot 5$ so

$$10! = 2^8 \cdot 3^4 \cdot 5^2 \cdot 7.$$

We can see that 10 is the smallest number n for which 100 divides $n!$. So let's add:

last two digits of $n!$	n
1	1
2	2
6	3
24	4
20	5
20	6
40	7
20	8
80	9

summing the left hand column gives 13.

For 3 digits, we do the same thing, but find the smallest n